



Formalising Configuration Languages

Why is this important in practice?

☞ A precise definition enables us to create multiple implementations of compiler which are truly compatible and “correct”.

☞ A precise definition can be used to implement supporting tools such as IDEs, graphical tools, analysers, etc.

☞ Formalisation process gives us a deeper understanding of the language and highlights problems with the language design.

☞ Based on the formal semantics, we can prove properties of the configuration making it highly reliable.

☞ Formal semantics allows others people to experiment with compatible language extensions.

```
A extends {  
  allow "x";  
  deny  "y";  
}  
B extends A {  
  deny  "paul";  
}  
C extends B {  
  deny  "herry";  
  allow "all";  
}
```

☞ **Does “herry” have access to machine C?**

$$put : \mathcal{S} \times \mathbb{I} \times \mathcal{V} \rightarrow \mathcal{S}$$
$$put(\emptyset_{\mathcal{S}}, id, v) := \langle id, v \rangle :: \emptyset_{\mathcal{S}}$$
$$put(\langle id, v_s \rangle :: s', id, v) := \langle id, v \rangle :: s'$$
$$put(\langle id_s, v_s \rangle :: s', id, v) := \langle id_s, v_s \rangle :: put(s', id, v)$$